1.	Evaluating 4-8 ÷4 + 8 = A 1 B 6 C 7 D 10
2.	The numeral 231 ₅ expressed in base 10 is A 42 B 30 C 36 D 66
3.	The number of prime numbers in the interval $2 \le n < 11$ is A 6 B 3 C 5 D 4
4.	An athlete takes a bottle of fruit juice from a refrigerator at a temperature of -21° C and allows its temperature to increase by 36° C before drinking it. The temperature at which he drinks the juice is A 57 °C B 15°C C -57 °C D -15°C
5.	There are 28 girls and 32 boys in a particular class. The fraction represented by the girls is $A = \frac{7}{15}$ $B = \frac{7}{8}$

С	$\frac{1}{7}$
D	$\frac{15}{7}$

6. A bag contains 120 sweets and after every 3

hours, 1/2 of the content is given out. The number of sweets left after 6 hours will be

- A 15 B 20
- C 30
- D 60

7. Given the sets of numbers, N, Z, Q, and R, the true statement is

 $A \sqrt{7} \in Q$ $B - 4 \notin R$ $C N \subset R$ $D Q \subset N$

8. Expressing 0.020493 to 3 significant figures gives

A 0	.02
B 0	.020
C 0	.0205
D 0	.02049

- 9. Given that, p = 4.8 x 10-³, expressing p as a decimal is A 0.038
 B 0.0048
 C 0.048
- D 0.004 10. Given that 1EU (Euro) is 600 FCFA. A television set sold in Douala for 120,000 FCFA will be sold in Europe for A 200 EU B 200 FCFA
 - C 72,000,000 FCFA
 - D 72,000 000 EU
- A worker's monthly salary increases from 92,000FCFA to 115, 000 FCFA. The percentage increase is A 20% B 30% C 25% D 15%
- 12. Jackie deposited 250,000 FCFA in an account that earns 6% simple interest yearly. The amount of money in FCFA in the account after 2 years is A 265,000
 - B 280,000
 - C 375,000
 - D 500,000
- 13. Given the Venn diagram in figure 1, the number that corresponds to the region $P' \circ Q$ is



		3
14.	Given two sets P and L defined as	-
	P: x is a sweet fruit	
	L: x is a lemon.	
	$L \subset P'$ is expressed in ordinary English as	
	A Lemon is sweet	
	B No lemon is a sweet fruit	
	C Some lemons are sweet fruit Some lemon	
	D are not sweet fruit	
15.	Given two statements	
	P: 4 is a factor of 16 and $q: 4 > 2$.	
	The statement $p \wedge q$ is written as	
	A 4 is a factor of 16 or $4 > 2$	
	B 4 is a factor of 16 implies $4 > 2$	
	C 4 is a factor of 16 if and only if $4 > 2$	
	D 4 is a factor of 16 and $4 > 2$.	
16.	In the following sentences the proposition is	
	A What are you doing here?	
	B Leave this office	
	C This is a good piece of work	
	D Sit in the chair opposite you	
17.	Given the following relations, the one that is	
	function is	
	A 'is the mother of'	
	B ' is the square root of '	
	C ' is the father of'	
	D ' is the square of '	
18.	A function h: $x \mapsto \frac{7X-5}{3}$ where $x \in R$.	
	The inverse, $h^{-1}(x)$ is	
	A 7x-5	
	B 7x + 5	
	D 7815	
	3	
	C 7x-3	
	5	
	D $3x + 5$	
	7	
19.	The line which cuts through a set of parallel	
	lines is called a	
	A Parallel line	

- Corresponding line Straight line, В
- С
- D transversal
- 20. A regular polygon with each interior angle of size 165° has *n* sides. The value of *n* is
 - А 14
 - В 15
 - С 20
 - 24 D

21. In figure 2, the size of angle x is





- 60° В 140°
- С 120°

А

D 50°





- B secant C radius
- D diameter
- 23. Figure 4 shows the graph of a function. The symmetry in the figure is



A zero B line C curve D rotational

The two triangles PQR and STU in figure 5 are 24. similar. State the ratio of their corresponding areas.



Factorizing $a^2 - ab + ax - bx$ gives A (a-x)(a- b) B (a + x) (a + b)C (a + x)(a - b)D (a - x) (a - b) 1 3 The expression is equal X-1 1—X 4 A ------X -- 1 B ----2 X -- 1

25.	The perimeter of a square of side 12cm is the same as the perimeter of an equilateral triangle of side <i>l</i> . The value of <i>l</i> in cm is A 12 B 144
	C 48
	D 16
26.	A box with a square base 10cm and 30cm high has a volume (in cm ³) of A 300
	B 9000
	C 900
	D 3000
27.	The y- intercept of the equation 2y = 14 - x is
	A7
	B 12
	C -7
	D 14
28.	Given a straight line $\frac{x}{3} + \frac{y}{9} = 2$,
	the gradient of this line is
	A -6
	B -3
	C 3
	D 6
29.	M(2,4) is the midpoint of the straight line joining
	the points R and $S(-2,4)$. The coordinates of R
	are
	A (2,4)
	B (4,2)
	C (0,8)
	D (6.4)

32. Given that $b -1 = \frac{1}{80}$, then, a in terms of

b and c is

 $C \xrightarrow{2} 1 - x$

4 D ------1 --- x

30.

31.

to

A $\frac{c}{b-1}$ B c (b-1) $\frac{l}{c(b-l)}$ <u>b – 1</u> D c

 $\frac{4}{\overline{s}}$

33.	The value of $2x^3 - y^2$, given that $x = 2$ and $y = -3$ is A 6 B 7 C 25 D 41
34.	Solving for x in $\frac{\mathbf{x}}{\mathbf{x}} \pm \frac{1}{2} = \frac{1}{4}$ gives
	Solving for x in 5 2 4 gives
	$A = \frac{5}{4}$
	$B = \frac{1}{5}$
	$C = -\frac{5}{4}$
	$D = \frac{4}{\epsilon}$

5 35. Given that $(5x - 3)(x + 2) = 5x^2 - kx - 6$ then the value of k is A 10 B -3 C 13 D -7 36. The solution set of $(x + 3) (x - 2) > 0$ is A [-3,2] B [-3,4[C]-32[D + 2,2]	41. Given the triangle <i>PQR</i> in figure 7. The length of the side marked <i>x</i> , in <i>cm</i> , is A 16 B 12 C 10 D 8 8 cm
37. Given that $2^{2x} = \frac{1}{64}$ then, the value of x satisfying the equation is A -6 B -3 C 3 D 6, 38. The sum of the first n terms in a sequence is given by $S_n = 2n (n - 1)$ The second term is A 8 B 0 C 4 D 2 39. Given that y is inversely proportional to x, and y = 20 when $x = 3$, then the value of x when y = 4 is A 15 B $\frac{3}{5}$ C 12	42. Given that $\sin \alpha = \frac{3}{5}$ and α is obtuse, then $\cos \alpha$ equals $A = \frac{4}{5}$ $B = \frac{4}{5}$ $C = \frac{5}{4}$ $D = \frac{3}{5}$ 43. Given that $\overrightarrow{OP} = \begin{pmatrix} 4 \\ 3 \end{pmatrix}$ and $\overrightarrow{OQ} = \begin{pmatrix} 0 \\ m \end{pmatrix}$. The value of <i>m</i> when $ OP = OQ $ for $m > 0$ is $A = \frac{7}{8}$ $B = \frac{1}{5}$ $C = \frac{25}{5}$
40. Figure 6 is a network. The number of arcs is Fig. 6 A = 5 B = 6 C = 3 $D = 1\frac{1}{3}$ Fig. 6	a A $figure 8$ is a vectogram with $OP = a$ and OO = -b. In terms of a and b , $OP = afig 8A b - aB b + aC a - bD -b - a$

